# Choreographic Development of Message-Passing Applications 

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 Skłodowska-Curie grant agreement No 778233.In the next 90 minutes...

# Prologue An intuitive account 

Act I Some definitions
Act II A tool
Act III A little exercise
Epilogue Work in progress

## - Prologue -

[ An intuitive account ]

## "Top-down"

## Quoting W3C

"Using the Web Services Choreography specification, a contract containing a global definition of the common ordering conditions and constraints under which messages are exchanged,
 is produced that describes, from a global viewpoint [...] observable behaviour of all the parties involved. Each party can then use the global definition to build and test solutions that conform to it. The global specification is in turn realised by combination of the resulting local systems [...]"

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Extract from each component its local viewpoint, combine the local view points in a choreography...if that makes sense [Lange et al., 2015]

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## Global views, intuitively

## g-choreographies [Tuostio and Guanciale, 2018]

source node

sink node
empty

interaction
(G)
( ${ }^{\prime}$
sequential

parallel

branching

## Pomset or (Event Structure ${ }^{a}$ )

[^0]
## Local views, intuitively

Communicating systems [Brand and Zafiriopul, 1083]


A


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## Well-formedness, intuitively

To $G$ or not to G ?
Ehm...in a distributed choice $\mathrm{G}_{1}+\mathrm{G}_{2}+\ldots$

- there should be one active participant
- any non-active participant should be passive decides which branch to take in a choice


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- there should be one active participant
- any non-active participant should be passive decides which branch to take in a choice

Def. A is active when it locally decides which branch to take in a choice
Def. $B$ is passive when

- either $B$ behaves uniformly in each branch
- or B "unambiguously understands" which branch A opted for through the information received on each branch


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## Well-branchedness

When the above holds true for each choice, the choreography is well-branched. This enables correctness-by-design.

## Class test

Figure out the graphical structure of the following terms and for each of them say which one is well-branched

- $\mathrm{G}_{1}=\mathrm{A} \rightarrow \mathrm{B}:$ int $+\mathrm{A} \rightarrow \mathrm{B}$ : str
- $G_{2}=A \rightarrow B:$ int $+\mathbf{0}$
- $\mathrm{G}_{3}=\mathrm{A} \rightarrow \mathrm{B}:$ int $+\mathrm{A} \rightarrow \mathrm{C}:$ str
- $G_{4}=\left(\begin{array}{l}A \rightarrow C: \text { int; } A \rightarrow B: \text { bool } \\ + \\ A \rightarrow C: \text { str; } A \rightarrow C: \text { bool; } A \rightarrow B: \text { bool }\end{array}\right)$


## - Act I -

[ Choregraphies, more precisely ]

## Syntax of g-choreographies

$$
\begin{aligned}
& \mathrm{G}::=(\mathrm{O}) \\
& \quad \left\lvert\, \begin{array}{ll}
\mathrm{A} \rightarrow \mathrm{~B}: \mathrm{m} \\
\mathrm{G} \mid \mathrm{G} \\
\mathrm{sel}\{\mathrm{G}+\cdots+\mathrm{G}\} \\
\mathrm{G} ; \mathrm{G} \\
& \text { repeat } \mathrm{G}
\end{array}\right.
\end{aligned}
$$

## Partially-ordered multisets [Pratt, 1986]

Isomorphism class of labelled partially-ordered sets


Language of a pomset

- $e_{1} e_{2} e_{3} e_{4} \rightsquigarrow A B!\times A B ? \times A B!y A B ? y$
- $f_{3} f_{1} f_{2} f_{4} \rightsquigarrow A B!y A B!\times A B ? \times A B!y$
- $e_{1} e_{3} e_{2} e_{4} \rightsquigarrow A B!\times A B!y A B ? x A B$ ? y


## Pomset semantics

The semantics of a g-choreography G

The basic idea

- is a set of pomsets
- each pomset in the set corresponds to a branch of $G$
- is defined by induction on the structure of G

$$
\begin{aligned}
\llbracket(o) \rrbracket & =\{\epsilon\} \\
\llbracket \mathrm{A} \rightarrow \mathrm{~B}: \mathrm{m} \rrbracket & =\{[\mathrm{A} B!\mathrm{m} \longrightarrow \mathrm{AB} ? \mathrm{~m}]\} \\
\llbracket \text { repeat } \mathrm{G} \rrbracket & =\llbracket \mathrm{G} \rrbracket \\
\llbracket \mathrm{G} \mid \mathrm{G}^{\prime} \rrbracket & =\left\{\operatorname{par}\left(r, r^{\prime}\right) \mid\left(r, r^{\prime}\right) \in \llbracket \mathrm{G} \rrbracket \times \llbracket \mathrm{G}^{\prime} \rrbracket\right\} \\
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& \llbracket G \mid G^{\prime} \rrbracket=\left\{\operatorname{par}\left(r, r^{\prime}\right) \mid\left(r, r^{\prime}\right) \in \llbracket G \rrbracket \times \llbracket G^{\prime} \rrbracket\right\} \\
& \llbracket \mathbf{G} ; \mathrm{G}^{\prime} \rrbracket=\left\{\mathrm{seq}\left(r, r^{\prime}\right) \mid\left(r, r^{\prime}\right) \in \llbracket \mathbb{G} \rrbracket \times \llbracket \mathrm{G}^{\prime} \rrbracket\right\} \\
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\llbracket \mathrm{G} ; \mathrm{G}^{\prime} \rrbracket=\{\ldots,[:], \ldots\}
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## Some examples

Choice \& Sequential


## Some examples

## Parallel \& choice



## Realisability

## Put simply..

A set of pomsets $R$ is realizable if there is a deadlock-free ${ }^{a}$ communicating system whose language is $\mathcal{L}(R)$.

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A set of pomsets $R$ is realizable if there is a deadlock-free ${ }^{a}$ communicating system whose language is $\mathcal{L}(R)$.
${ }^{a}$ A system $S$ is deadlock-free if none of its reachable configurations $s$ is a deadlock, that is $s \nrightarrow$ and either some buffers are not empty or some CFSMs have transitions from their state in $s$.

## Trivial non-realisability

$$
\text { A B?m } \longrightarrow \mathrm{BC} \text { ?n }
$$

Communicating systems "start" with outputs!

Non-trivial non-realisability [Alure tal. 2003]


## A taxonomy of global views



## Closures




## Closures



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## CC*-POM

Take a set of pomsets $R$
Choose a pomset $\bar{r}^{\mathrm{A}} \in R$ for each participant
Def. $R$ is CC2-POM if $\forall r \in \square\left(\left(\left.r^{\mathrm{A}}\right|_{\mathrm{A}}\right)_{\mathrm{A} \in \mathcal{P}}\right): \exists r^{\prime} \in R: r \sqsubseteq r^{\prime}$
Choose a prefix $\bar{r}^{\mathrm{A}}$ of a pomset in $R$ for each participant A
Def. $R$ is CC3-POM if $\forall \bar{r} \in \square\left(\left(\left.\bar{r}^{\mathrm{A}}\right|_{\mathrm{A}}\right)_{\mathrm{A} \in \mathcal{P}}\right): \exists r^{\prime} \in R, \bar{r}^{\prime}$ prefix of $r^{\prime}: \bar{r} \sqsubseteq \bar{r}^{\prime}$

## Class test: solutions

Which of the following g-choreographies is well-branched?

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Find out which closure conditions the non well-branched properties violate

## - Act II -

[ An exercise: prototype tool support ]

## The ChorGram prototype

## Supporting well-formedness analysis



## A Simple Exercise in BehAPI

Given B, a bank's API s.t.

- GET authReq :: authenticate; return authFail or granted
- GET authWithdrawal :: request cash; return allow or deny
- GET getBalance :: get balance; return balance


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## Modelling C, a fictional customer

## Define the global view



## Define the global view



Is this
g-choreography well-branched?

## Define the global view



Is this
g-choreography well-branched?
Let's try
ChorGram

## - Epilogue -

[ Work in progress ]

## The missing bits

## What we didn't show

- Going bottom-up


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- Run-time support (code \& monitor generation)


## The missing bits

## What we didn't show

- Going bottom-up
- Termination awareness
- Run-time support (code \& monitor generation)
- An experimental "debugging" mechanism



## What we are doing

## Theory

- Choreographic Testing

Alex \& Roberto: see Alex's talk@ICE this Fri

- (De-)Composition of choreographies Mariangiola, Franco, \& Ivan: see Franco's talk@COORDINATION this Tue
- New communication frameworks Hernán: see my talk@COORDINATION this Tue
- Refinement of choreographies

Hernán \& Ugo: see Ugo's talk@ICE this Fri

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## Practice

- Better integration of top-down \& bottom-up
- Code generation / Code testing
- Keep working on ChorGram
- existing features (e.g., "debugging", pom2gg,...)
- new features (e.g., test generation, modularity,... )
- usability (the most boring yet important part)

Thank you

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[^0]:    ${ }^{a}$ See Ugo de'Liguoro's talk @ ICE 2020

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