

μ se: programming multi-party sessions for SOC

Emilio Tuosto



Joint work with

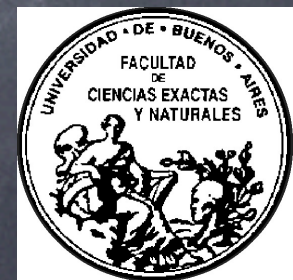
Roberto Bruni



Ivan Lanese



Hernán Melgratti



The problem



- SOC envisages systems as a combination of services $a_1 \Rightarrow P_1 \mid \dots \mid a_n \Rightarrow P_n$
- many invocations to each $a_i \Rightarrow P_i$
- each invocation triggers a "new" instance of P_i
- different instances "should not interfere"

Some solutions

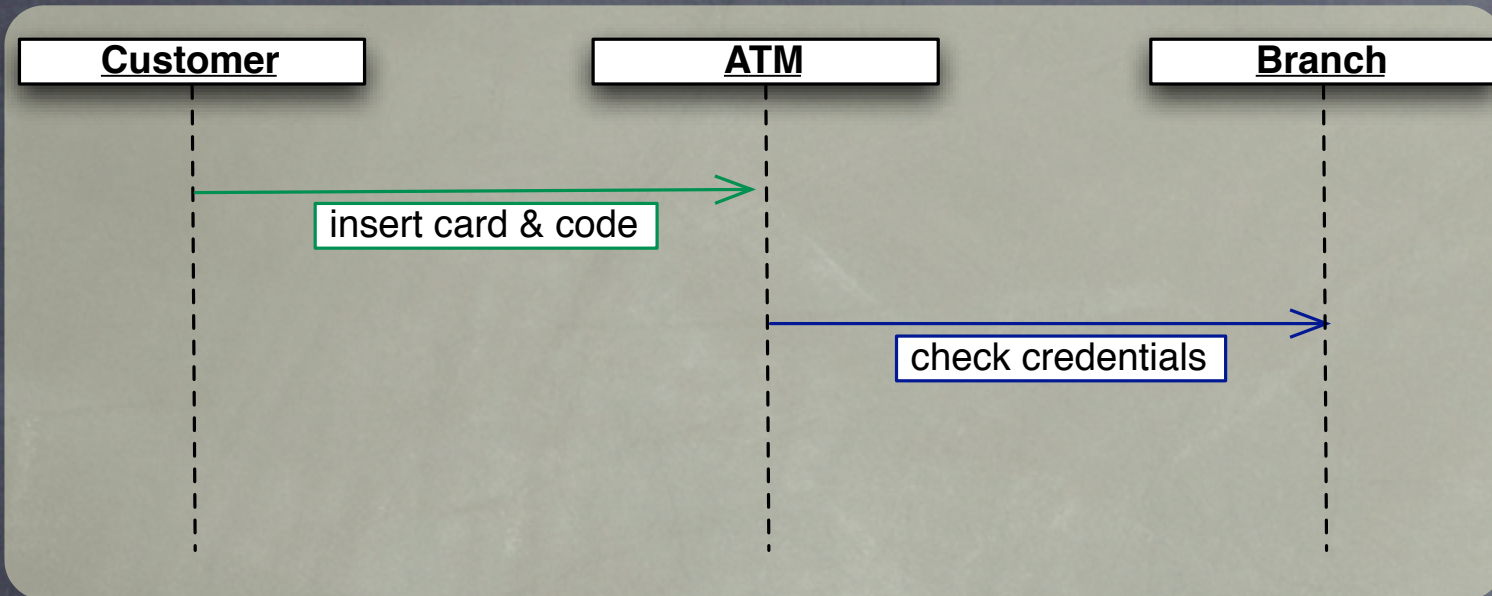


- Standards (WS-BPEL & WS-CDL) use **correlation sets**
 - too low level and not formally defined
 - reasoning on systems is hard (value-driven interactions)
 - interferences (different instances may use "right" values)
- "Fresh" **sessions**
 - More formal
 - abstract mechanism for scoping interactions
 - 2-parties or fixed number of participants

Multiparty

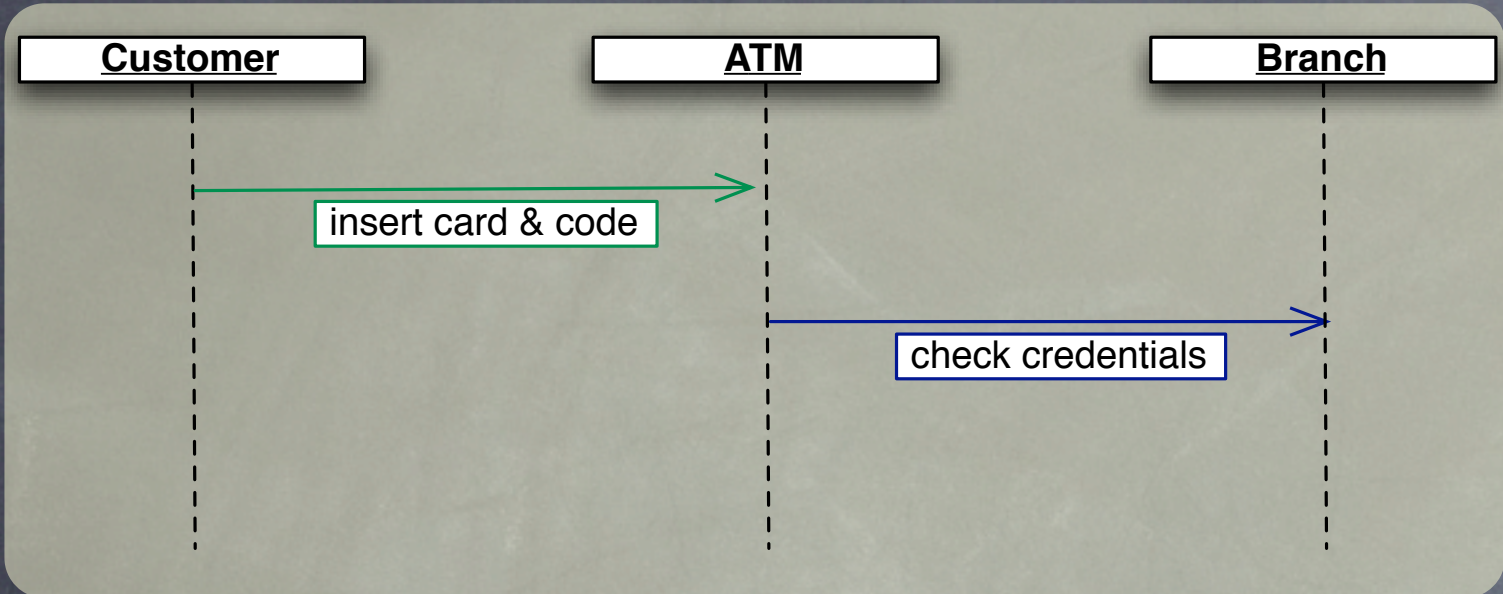
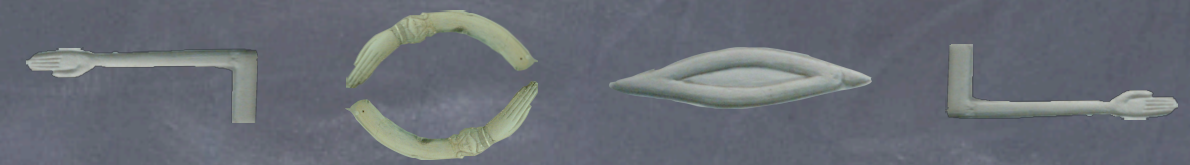


Multiparty



- designed as a 3-party session
- implemented with two 2-party sessions
- a new session starts between ATM & Branch

Multiparty

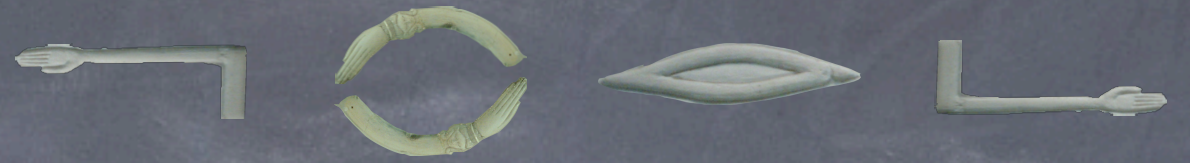


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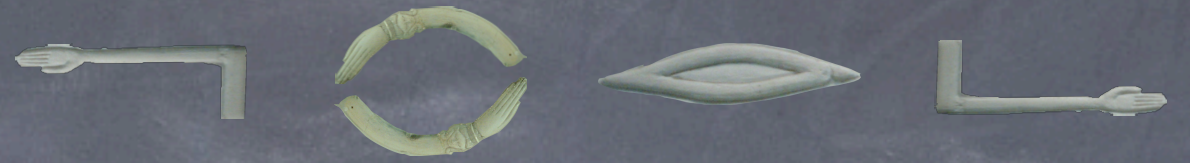
- 1st invoker has to wait
- many gamblers can join (and interact)
- implemented with two 2-party sessions
 - 55 (?=>!) 2-party sessions

Plan



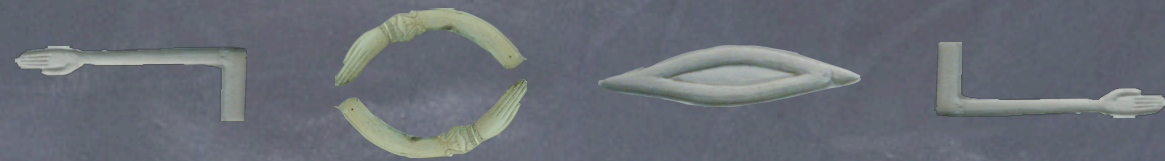
- μ se design principles
- Syntax & SOS semantics
 - don't worry, I'm kidding a bit ;)
- A few interesting (?) examples
- Considerations on μ se's observational semantics
- Concluding remarks

μ se design



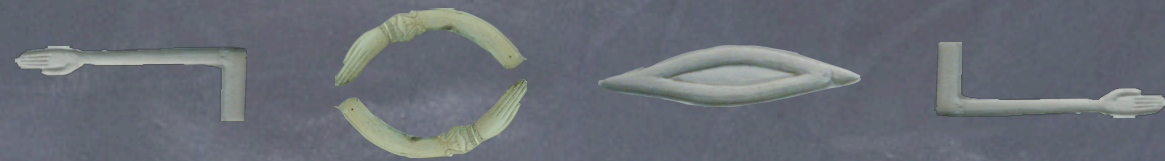
- Sessions unit of conversations among endpoints $s \triangleright P$
 - session transparency
 - session merging through entry points $\text{merge } e.Q$
- Services $a \Rightarrow P$
 - invocation \neq communication $\text{invoke } a.Q$
 - ephemeral $s \triangleright \text{invoke } a.Q \mid a \Rightarrow P \rightsquigarrow s \triangleright Q \mid P$
 - communications (π -like)
 - intra- & extra-sessions
 - locations $l::P$ delimit extra-session communications

μ se syntax



S, T	$::=$	$l :: a \Rightarrow P$	Service definition
		$l :: P$	Located process
		$S T$	Composition of systems
		$(\nu n)S$	New name
P, Q	$::=$	$\mathbf{0}$	Empty process
		$\bar{x}w.P$	Intra-session output
		$x(y).P$	Intra-session input
		$x!w.P$	Intra-site output
		$x?(y).P$	Intra-site input
		$\text{install}[a \Rightarrow P].Q$	Service installation
		$\text{invoke } a.P$	Service invocation
		$\text{merge } e.P$	Entry point
		$r \triangleright P$	Endpoint
		$P Q$	Parallel composition
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		$\text{rec } X.P$	Recursive process
		X	Recursive call

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Names around in μ se

✓ services

✓ sessions

✓ entry points

✓ locations

✓ channels

Channels, services
and entry points are
communicable values

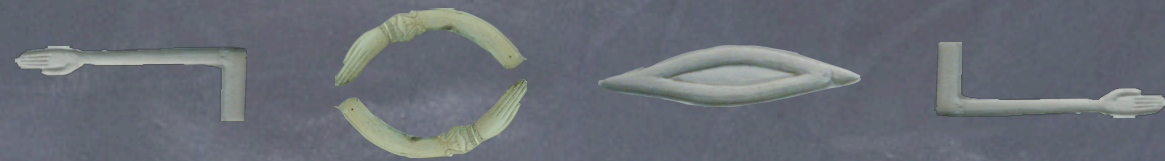
Usual structural
congruence

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Intra-session

μ se syntax



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Extra-session

μ se semantics (1)



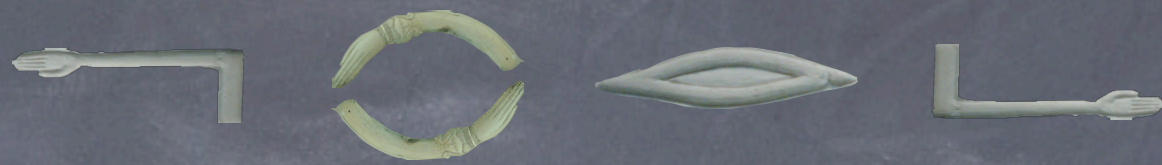
$$\bar{x}v.P \xrightarrow{\bar{x}v} P \quad x(y).P \xrightarrow{xv} P\{v/y\}$$

$$x!v.P \xrightarrow{x!v} P \quad x?(y).P \xrightarrow{x?v} P\{v/y\}$$

$$\text{invoke } a.P \xrightarrow{\perp a} P \quad \text{install}[a \Rightarrow R].P \xrightarrow{a[R]} P$$

$$\text{merge } e.P \xrightarrow{\bowtie e} P$$

μ se semantics (1)



$$\bar{x}v.P \xrightarrow{\bar{x}v} P$$

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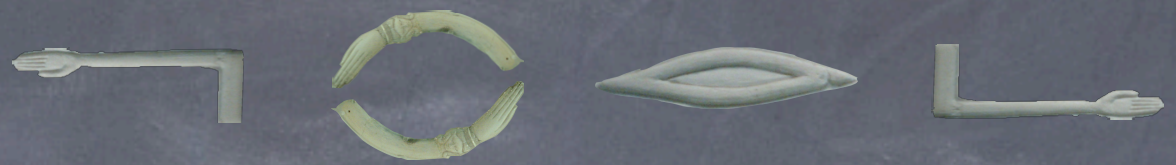
$$\text{invoke } a.P \xrightarrow{\perp a} P$$

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early-style semantics

μ se semantics (1)



$$\bar{x}v.P \xrightarrow{\bar{x}v} P$$

$$x(y).P \xrightarrow{xv} P\{v/y\}$$

$$x!v.P \xrightarrow{x!v} P$$

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$$\text{invoke } a.P \xrightarrow{\perp a} P$$

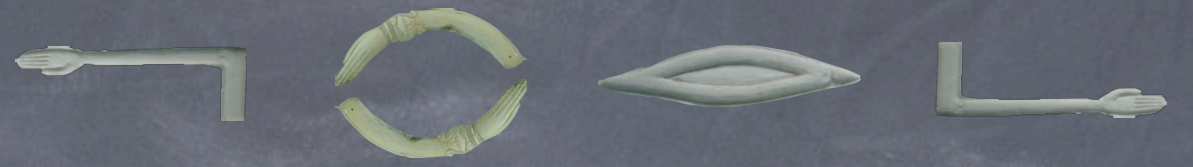
$$\text{install}[a \Rightarrow R].P \xrightarrow{a[R]} P$$

$$\text{merge } e.P \xrightarrow{\bowtie e} P$$

This is not code mobility;
just services at top level

early-style semantics

μ se semantics (2)



$$\frac{P \xrightarrow{\alpha} Q \quad \alpha \in \{\perp a, xv, \bar{x}v, \bowtie e\}}{r \triangleright P \xrightarrow{r \alpha} r \triangleright Q}$$

$$\frac{P \xrightarrow{\alpha} Q \quad \alpha \notin \{\perp a, xv, \bar{x}v, \bowtie e\}}{r \triangleright P \xrightarrow{\alpha} r \triangleright Q}$$

$$\frac{P \xrightarrow{a[R]} Q}{l :: P \xrightarrow{\tau} l :: Q \mid l :: a \Rightarrow R}$$

$$\frac{P \xrightarrow{\alpha} Q \quad \alpha \notin \{a[R], x?(v), x!v\}}{l :: P \xrightarrow{\alpha} l :: Q}$$

$$l :: a \Rightarrow P \xrightarrow{r \top a} l :: r \triangleright P$$

$$\frac{P \xrightarrow{x!v} P' \quad Q \xrightarrow{x?v} Q'}{P|Q \xrightarrow{\tau} P'|Q'}$$

$$\frac{A \xrightarrow{\alpha} A' \quad \text{bn}(\alpha) \cap \text{fn}(\mathcal{B}) = \emptyset}{A|\mathcal{B} \xrightarrow{\alpha} A'|\mathcal{B}}$$

$$\frac{A \xrightarrow{r \bar{x}v} A' \quad \mathcal{B} \xrightarrow{r xv} \mathcal{B}'}{A|\mathcal{B} \xrightarrow{\tau} A'|\mathcal{B}'}$$

$$\frac{A \xrightarrow{r \bowtie e} A' \quad \mathcal{B} \xrightarrow{s \bowtie e} \mathcal{B}'}{A|\mathcal{B} \xrightarrow{\tau} A'|\mathcal{B}' \mid s \doteq r}$$

$$\frac{S \xrightarrow{r \top a} S' \quad T \xrightarrow{r \perp a} T'}{S|T \xrightarrow{\tau} S'|T'}$$

$$\frac{A \xrightarrow{\alpha} A' \quad n \notin \text{n}(\alpha)}{(\nu n)A \xrightarrow{\alpha} (\nu n)A'}$$

$$\frac{A \xrightarrow{\alpha} A' \quad \alpha \in \{\bar{x}w, x!w, r \bar{x}w, r x!w\}}{(\nu w)A \xrightarrow{(w)\alpha} A'}$$

μ se ATM



$$hiw :: r \triangleright C$$

$$|$$

$$(\nu \text{ check}, \text{abort})(hiw :: *atm \Rightarrow A \mid \text{branch} :: *bank \Rightarrow B)$$


$$C = \text{invoke } atm.\overline{req}\langle c, m \rangle.(cash(x) \mid sms(y))$$

$$A = req(x, y).\text{invoke } bank.\overline{check}\langle x, y \rangle.(\text{check}().\overline{cash} \ y + \text{abort}().\overline{cash} \ 0)$$

$$B = \text{check}(x, y).\text{if } ok(x, y) \text{ then } \overline{check}.\overline{sms} \text{ "ok"} \text{ else } \overline{abort}.\overline{sms} \text{ "ko"}$$

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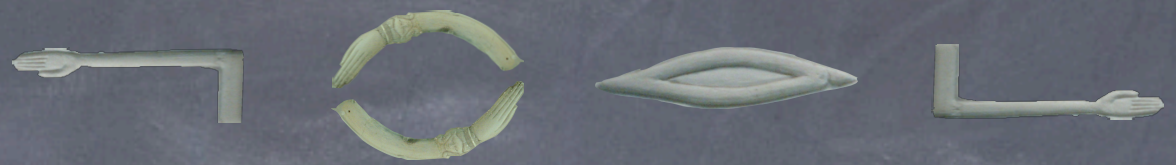
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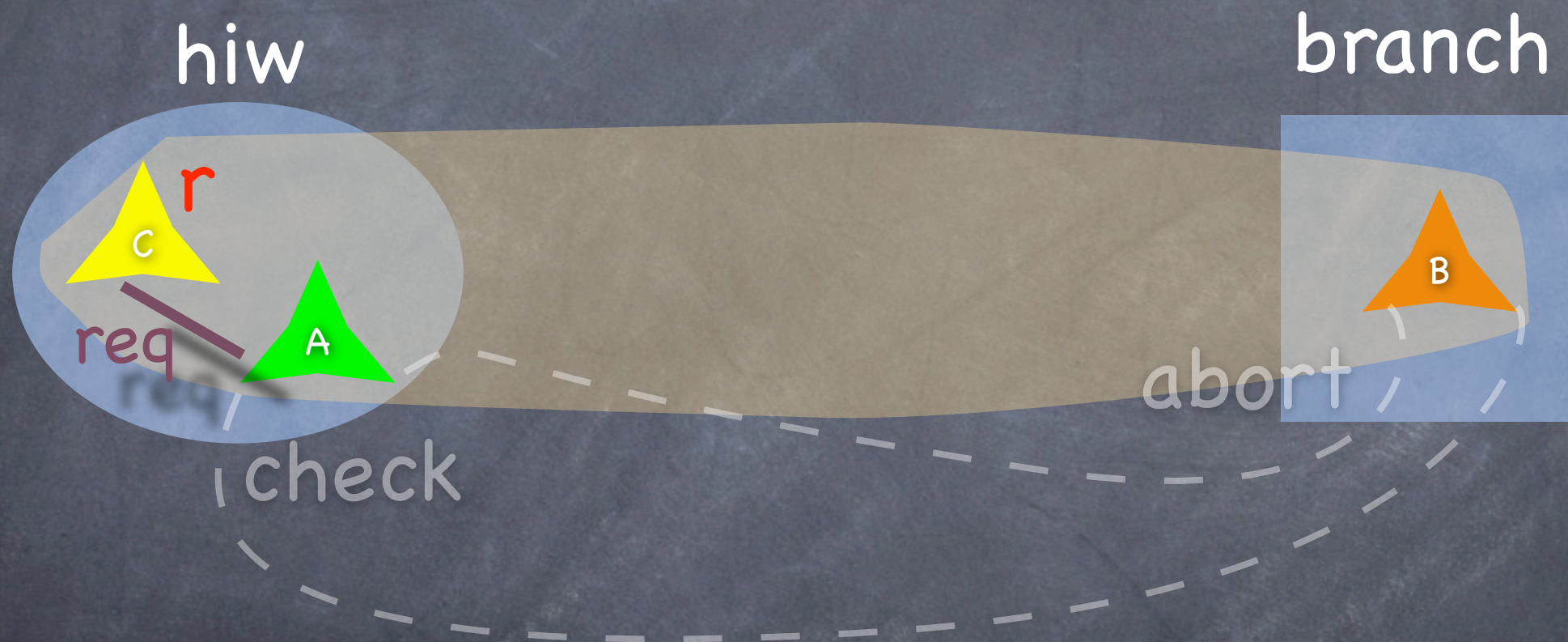
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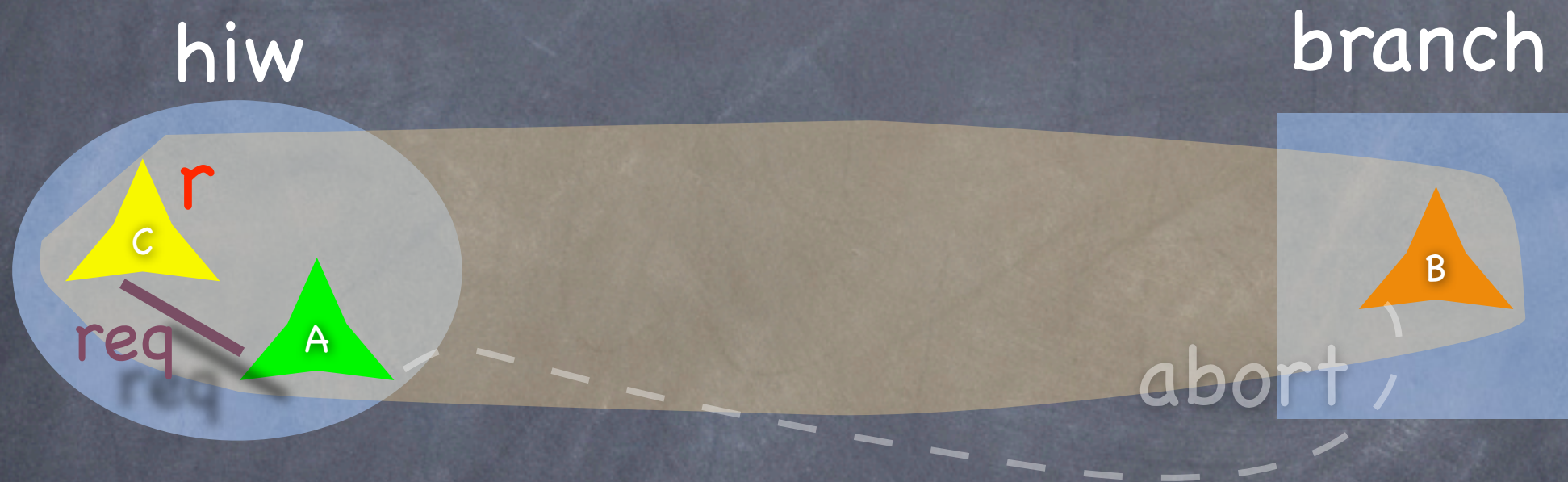
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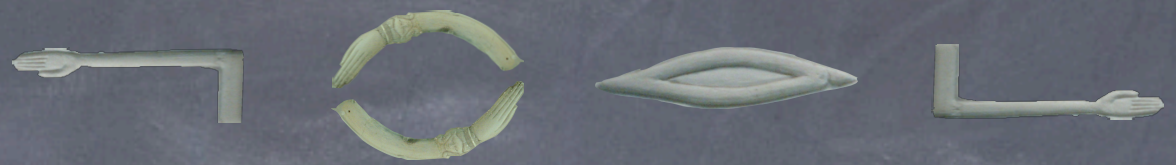
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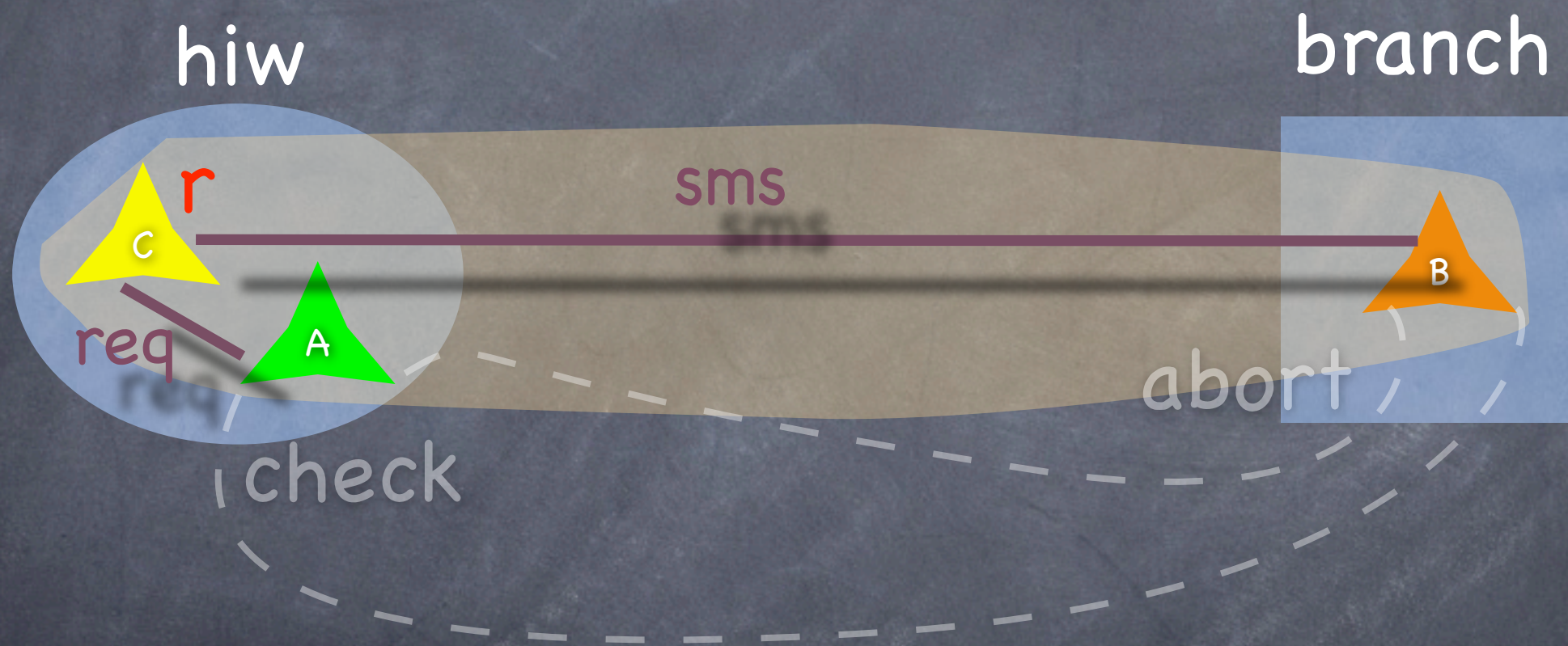
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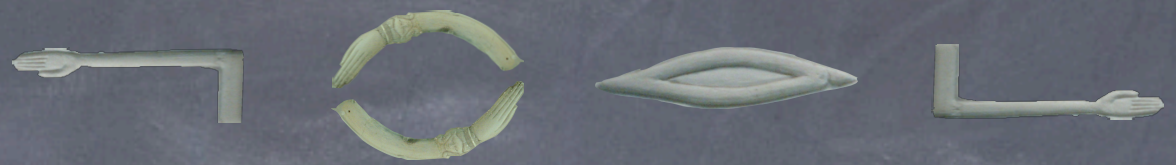
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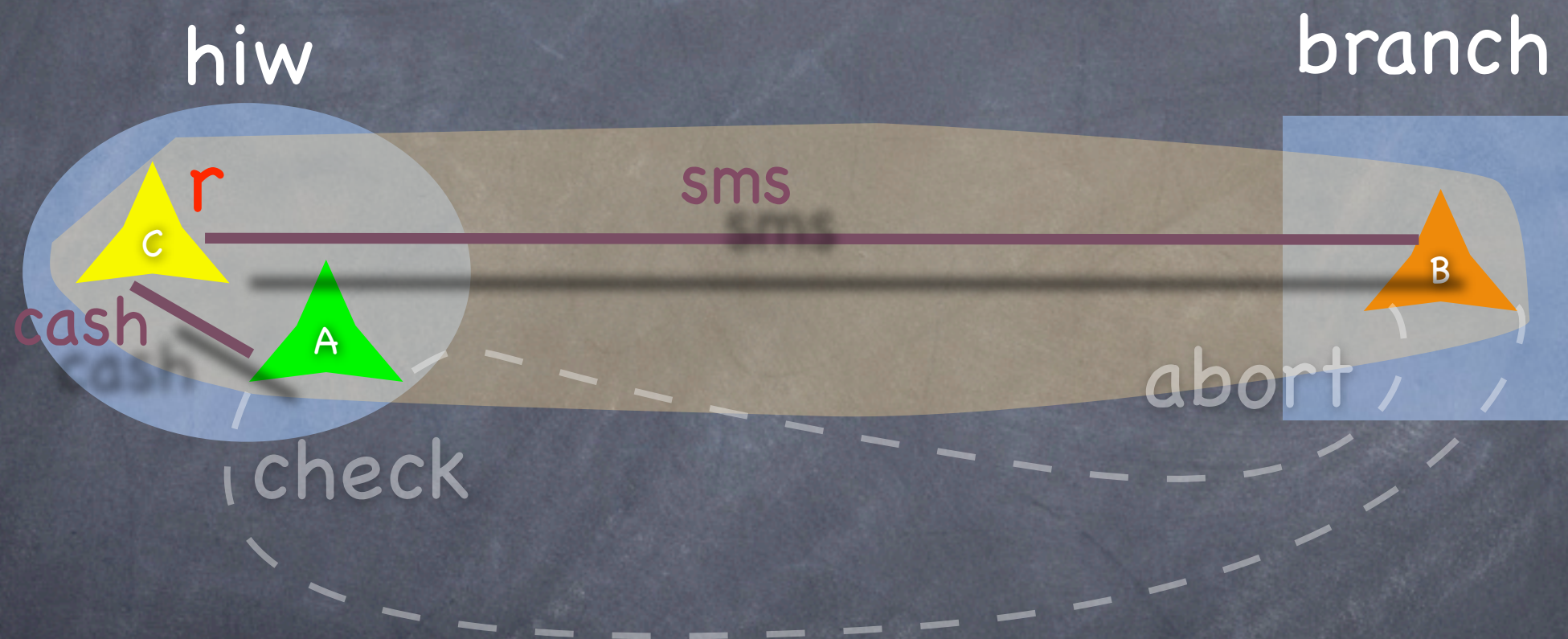
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μ se ATM



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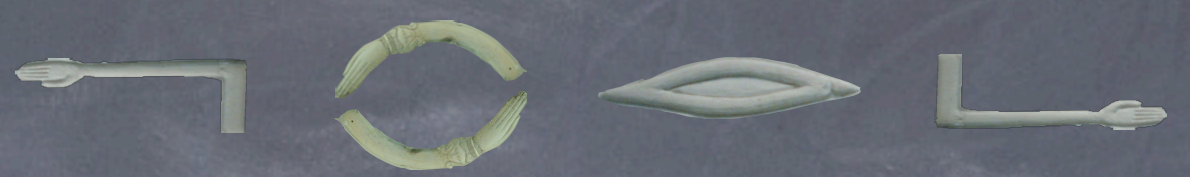
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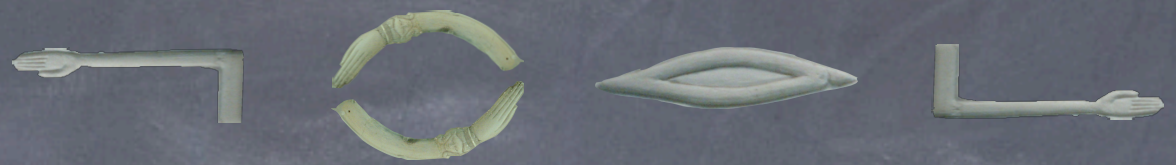
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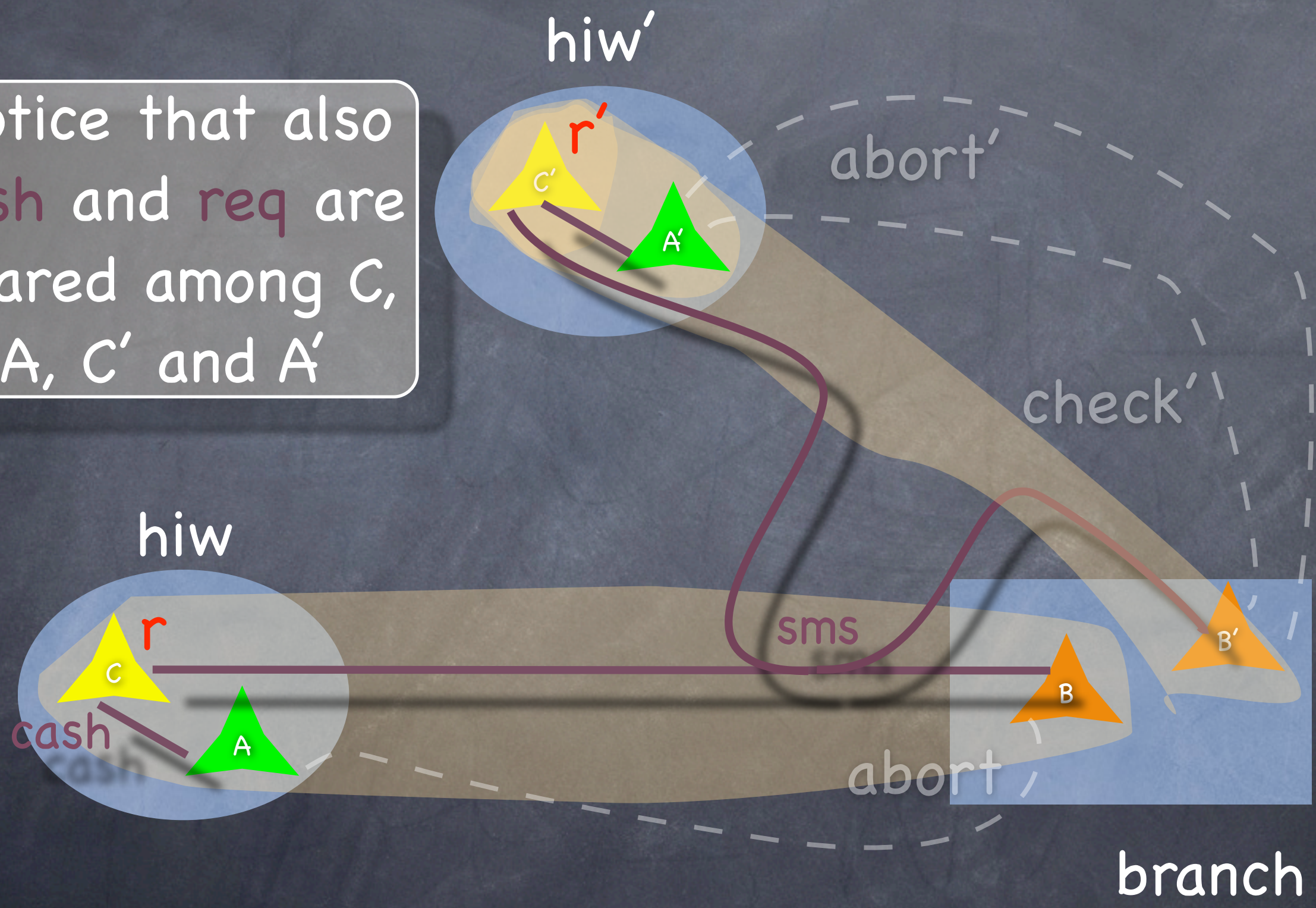
Real life is harder



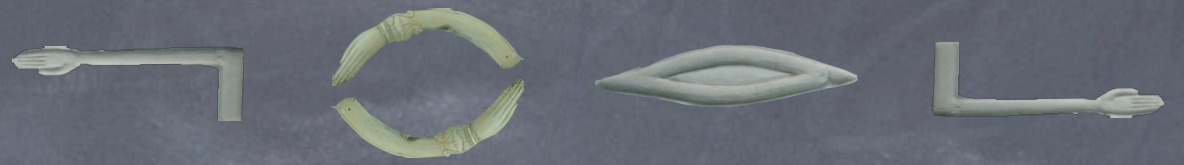
Real life is harder



Notice that also **cash** and **req** are shared among C, A, C' and A'



Play time



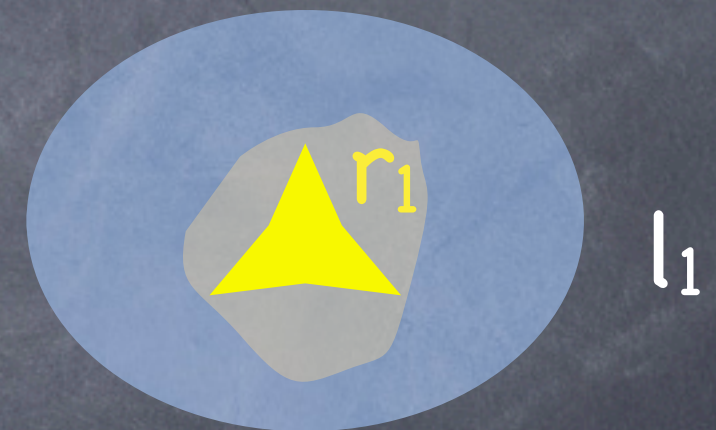
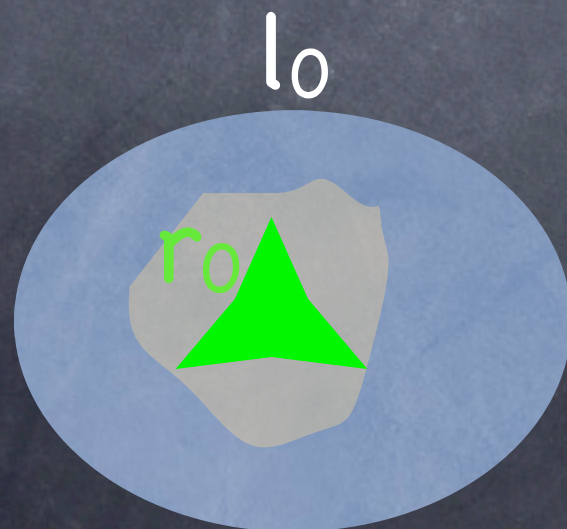
$l :: s \Rightarrow \text{merge } e. \overline{\text{start}}. \text{rec } X.(\text{merge } e.X)$

|

$\text{install}[*s \Rightarrow \text{merge } e.\overline{\text{start}}]$

$l_0 :: r_0 \triangleright \text{invoke } s. \text{start}(). P$

$l_1 :: r_1 \triangleright \text{invoke } s. \text{start}(). P$



Play time



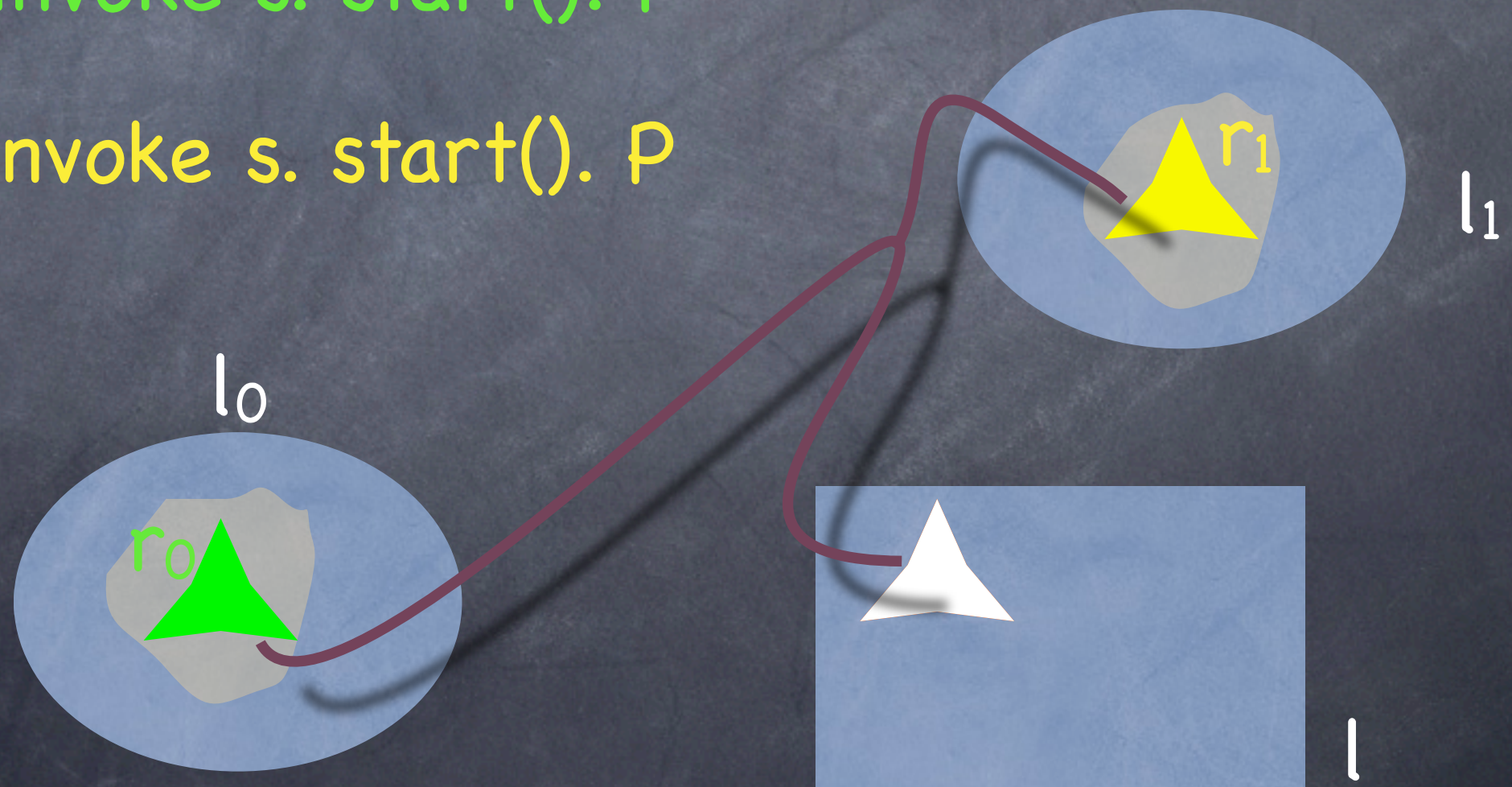
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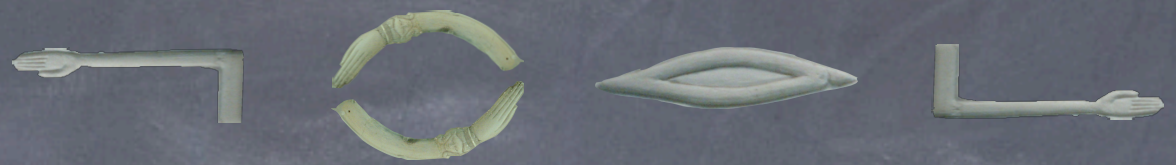
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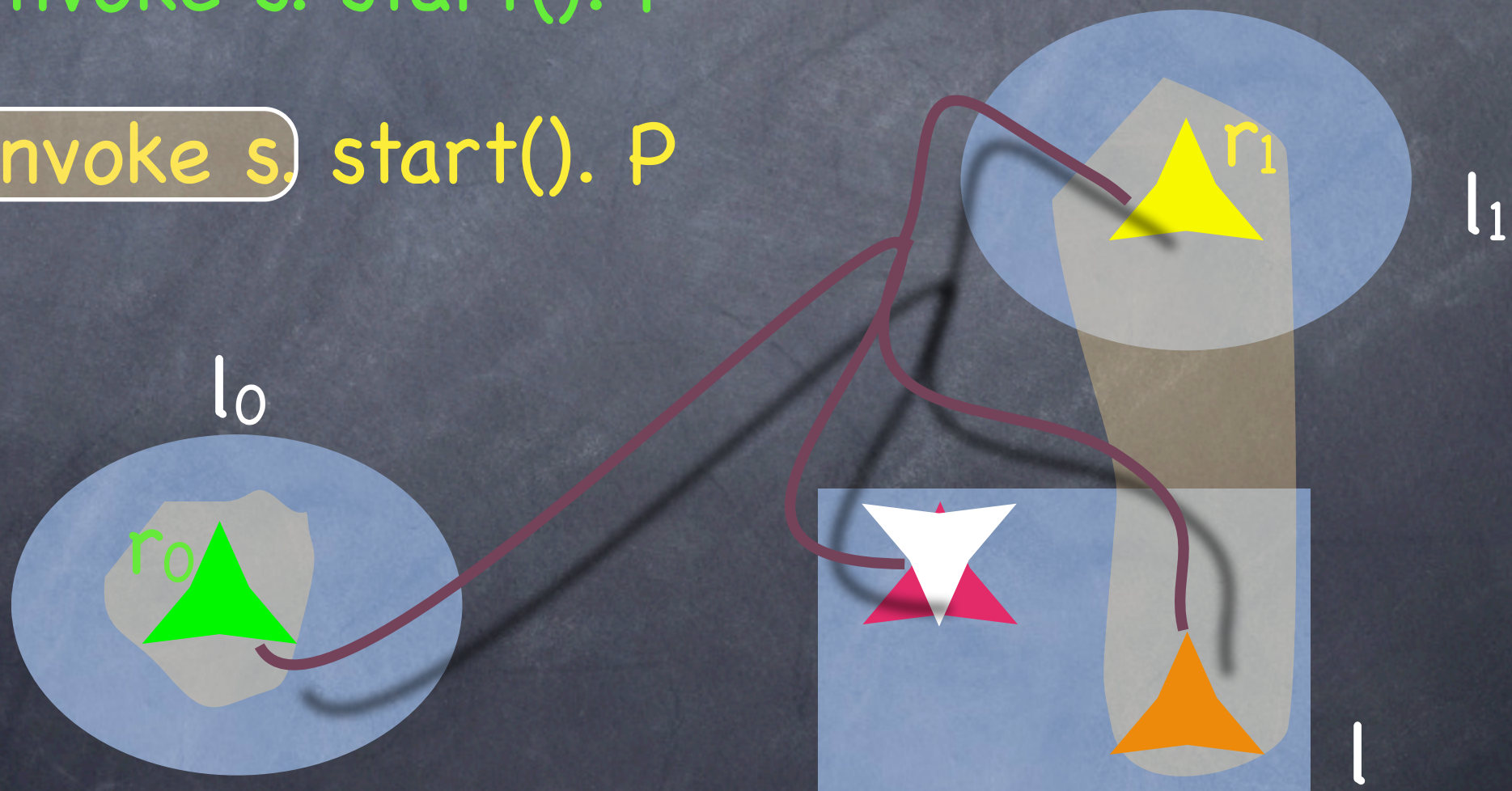


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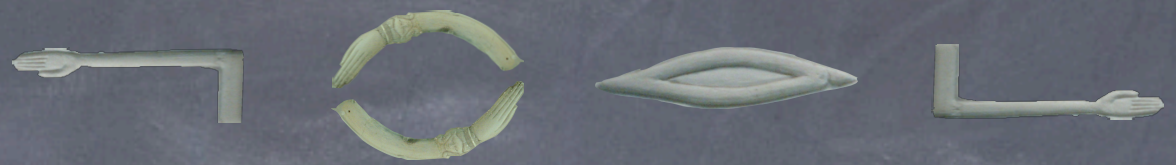
$$\quad \quad \quad |$$

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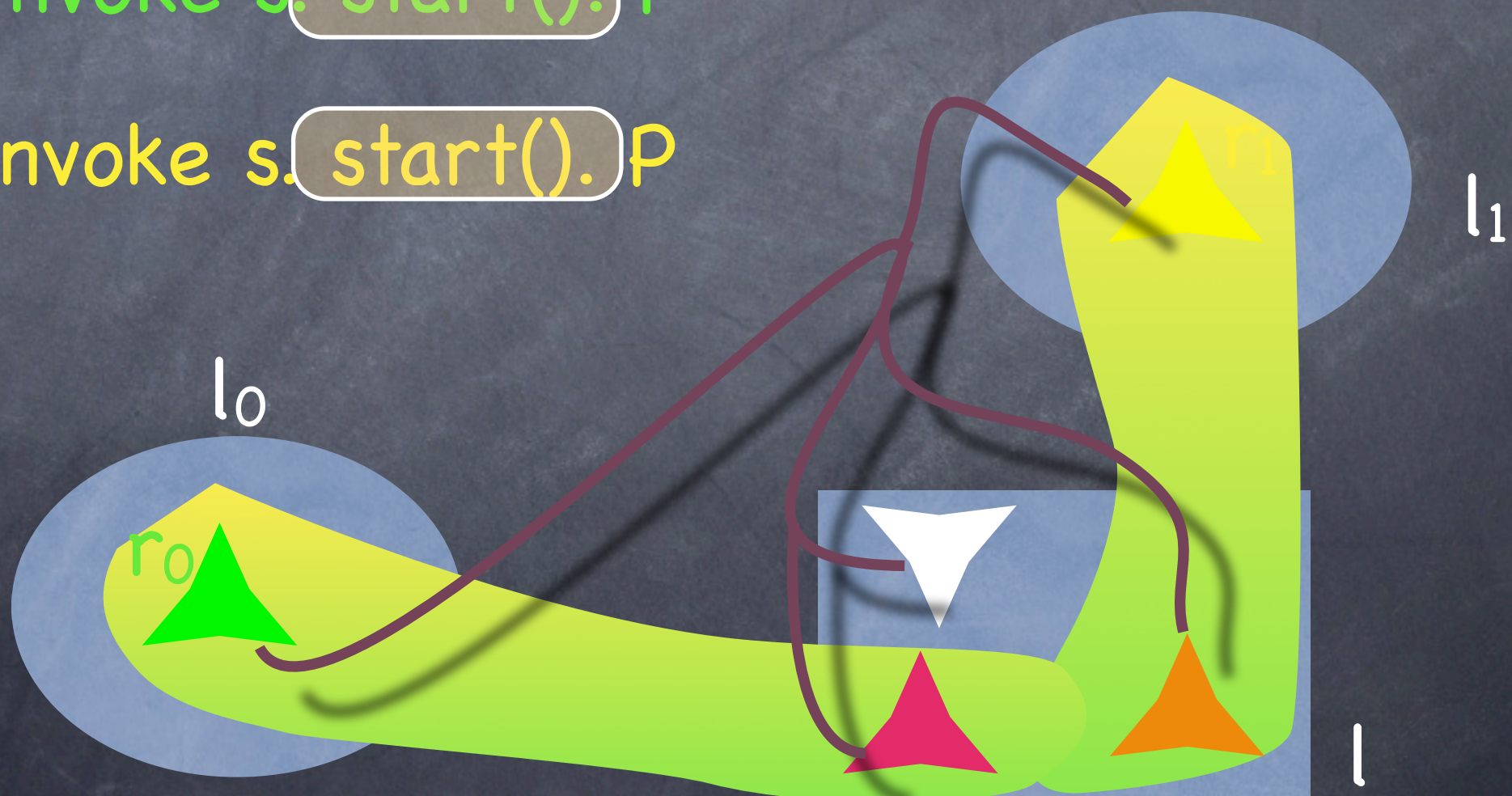
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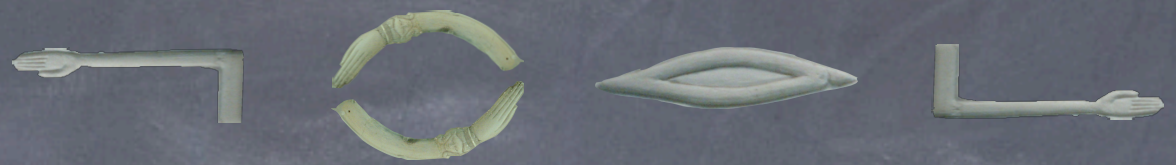
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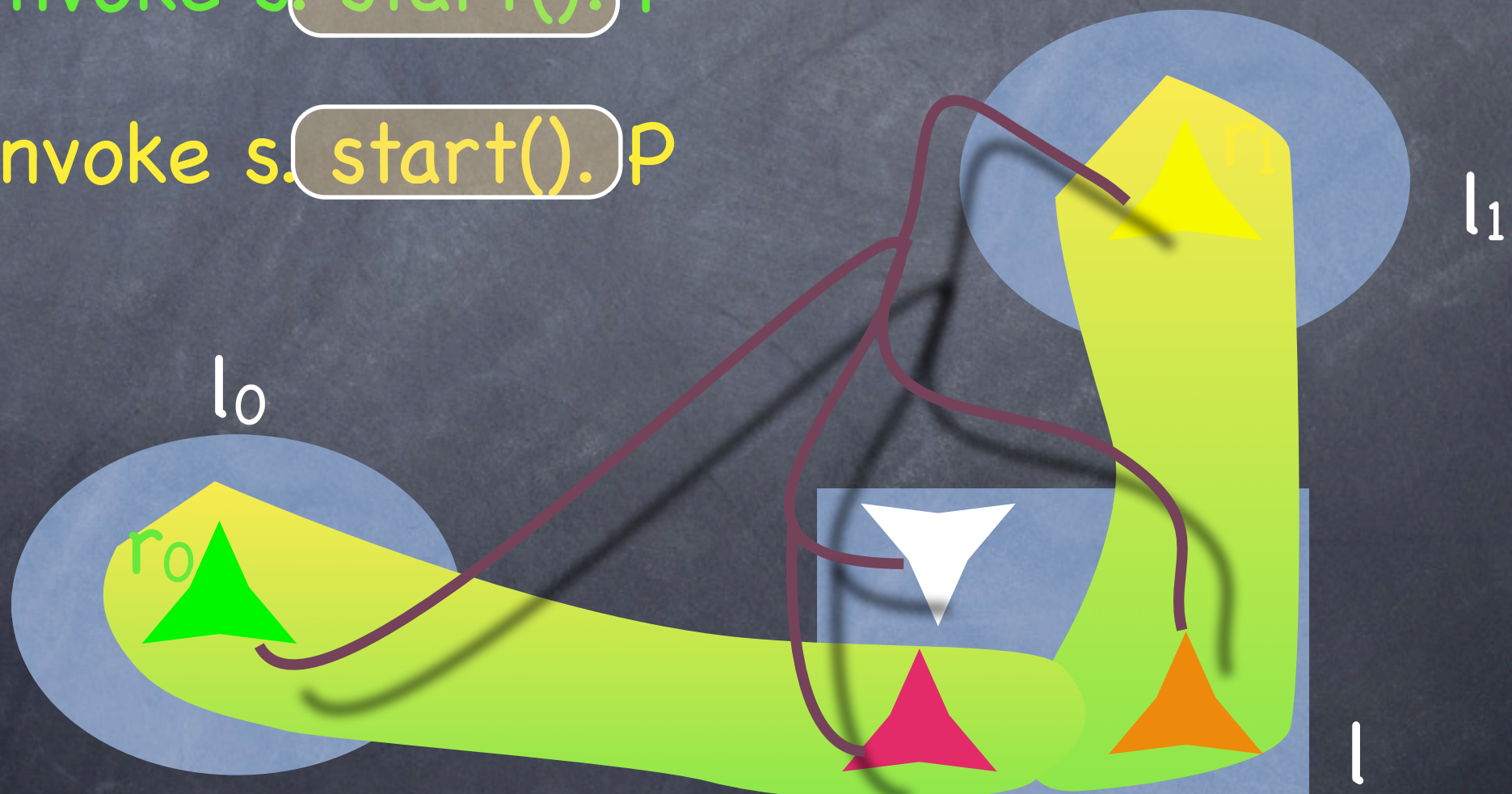
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μ se bisimulation



• A binary relation B on μ se systems is a **weak bisimulation** if

• B is symmetric

• whenever $(S, T) \in B$, for each transition

$S \xrightarrow{\alpha} S'$ such that $\text{bn}(\alpha) \cap \text{fn}(T) = \emptyset$, there is a

transition $T \xRightarrow{\alpha} T'$ and $(S', T') \in B$

$$\xRightarrow{\alpha} = \xrightarrow{\tau^*} \xrightarrow{\alpha} \xrightarrow{\tau^*}$$

• **Bisimilarity** is the largest bisimulation

Bisimulation at work

Specification

$$l :: *a \Rightarrow data(\mathbf{x}).\overline{ret} \text{ fun}(\mathbf{x})$$

Implementation 1

$$l :: (\nu a_1, a_2) \left((\nu av) (*a \Rightarrow av?(u).invoke \ u) \mid \right.$$

$$\left. \text{rec } X.av!a_1.X \mid \text{rec } X.av!a_2.X \right.$$

$$\left. *a_1 \Rightarrow data(\mathbf{x}).\overline{ret} \text{ fun}(\mathbf{x}) \mid *a_2 \Rightarrow data(\mathbf{x}).\overline{ret} \text{ fun}(\mathbf{x}) \right)$$

Implementation 2

$$(\nu e)l :: a \Rightarrow \text{rec } Y.(\text{merge } e.\text{install}[a \Rightarrow Y]) \mid$$

$$\text{rec } X.(\nu r)r \triangleright \text{merge } e.(data(\mathbf{x}).\overline{ret} \text{ fun}(\mathbf{x}) \mid X)$$

Conclusions



- Bonelli, Compagnoni (TGC07)
 - correspondence assertions to relate many 2-party sessions
- Carbone, Honda, Yoshida (POPL08)
 - statically fixed number of participants
 - delegation
 - (distributed) rendez-vous
- Caires, Viera, Seco (ESOP-08) conversation calculus
 - exception handling
 - nesting of sessions
- Sensoria's SC(C)
 - similar primitive for service invocation
 - only 2-party sessions
 - on service invocation, both client and service instance are in a freshly generated session

Future directions



- Session types for controlling progress properties of multiparty sessions ([see Roberto's talk @ PLACES](#))
- “Sophisticated” communication primitives (e.g., multi/broad-cast)
- Closing session
 - session nesting used only for controlling intra-session communication: $s \triangleright (P|Q) \text{ e } s \triangleright (P \mid s \triangleright Q)$
 - exception handling (?)